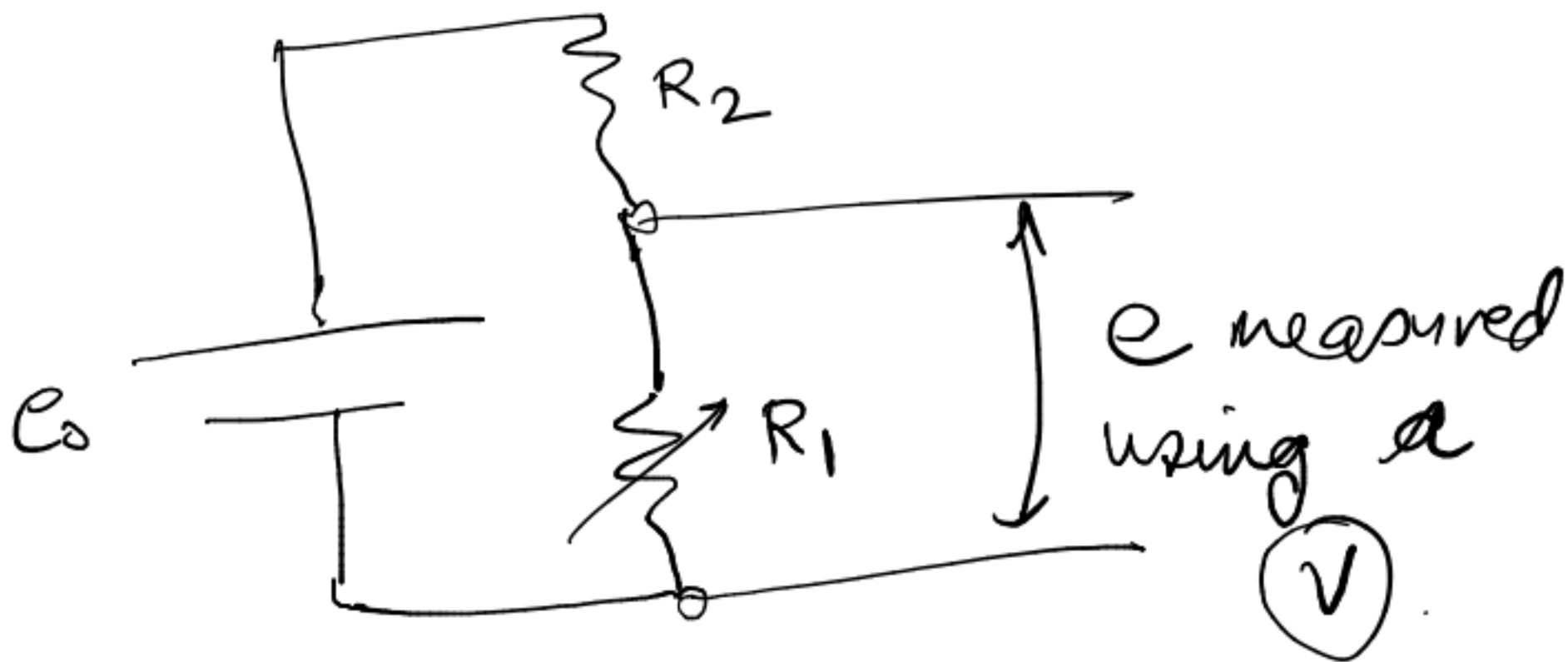


Lecture 4

Potentiometric circuit:



$$R_1 \longrightarrow R_1 + \Delta R_1 \text{ (post training)}$$

$$e \longrightarrow e + \Delta e \text{ (" ")}$$

$$\frac{\Delta e}{e_0} = \frac{\Delta R_1}{R_1} \epsilon$$

$\epsilon \rightarrow 10 \times 10^{-6} = 10^{-5}$

$\Delta e = 1.5 \times 10^{-5} \text{ V}$

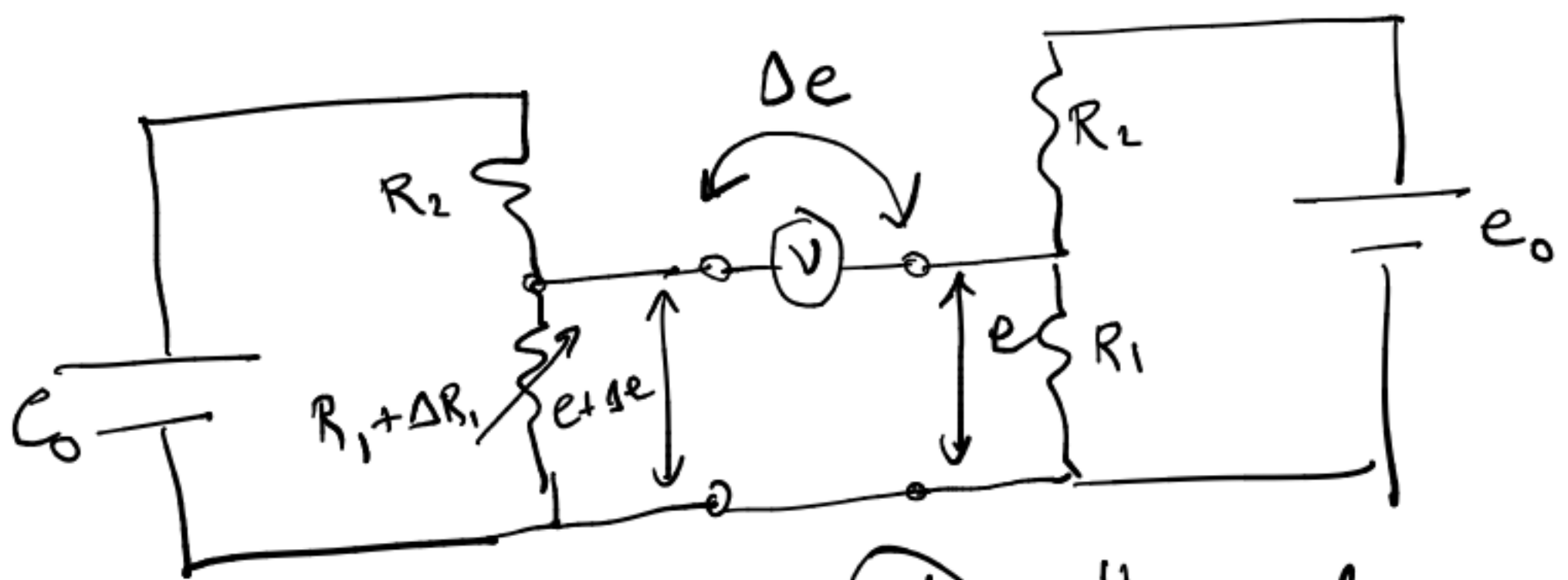
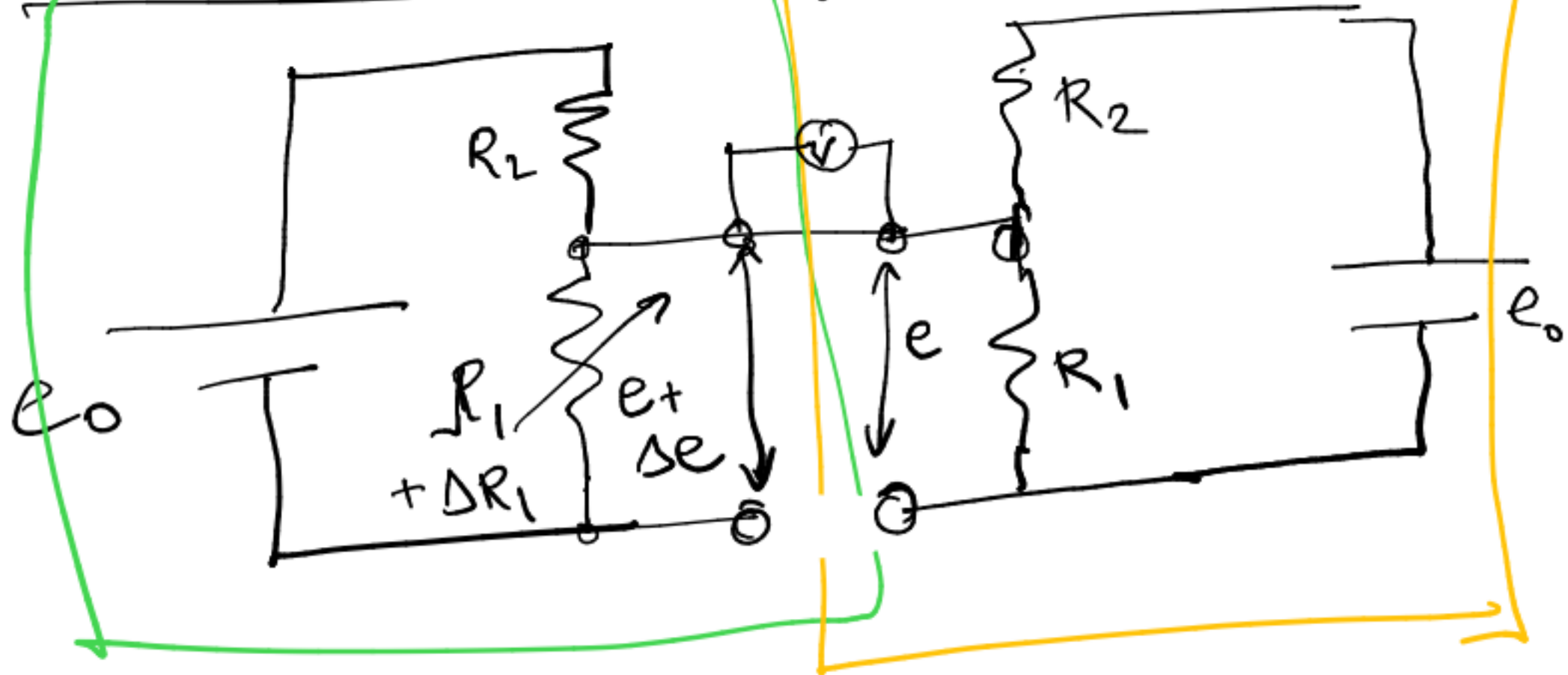
The $\odot V$ should have a range $\sim 1V$; yet have sensitivity $\sim 10^{-5} V$.

— Such a $\odot V$ does not exist.

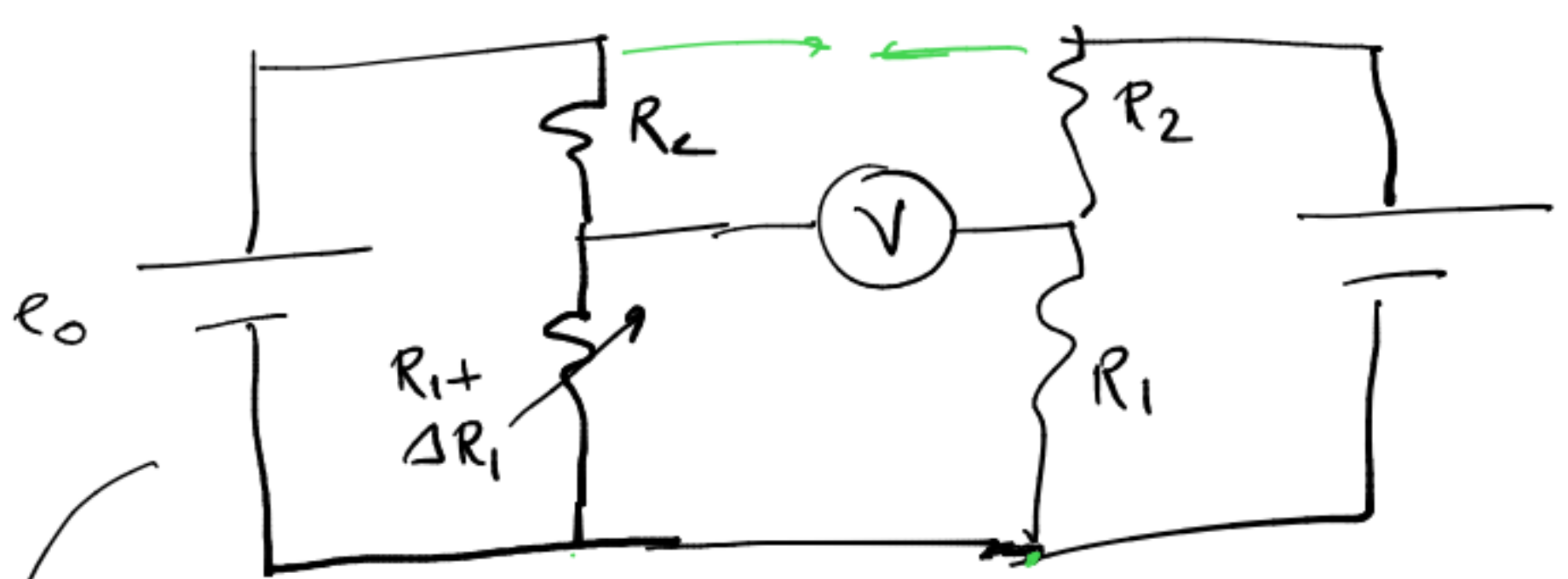
— We cannot use the simple potentiometric circuit for strain gauging.

The wheatstone bridge is simply 2 potentiometric circuits arranged so that they cancel each other's base voltage

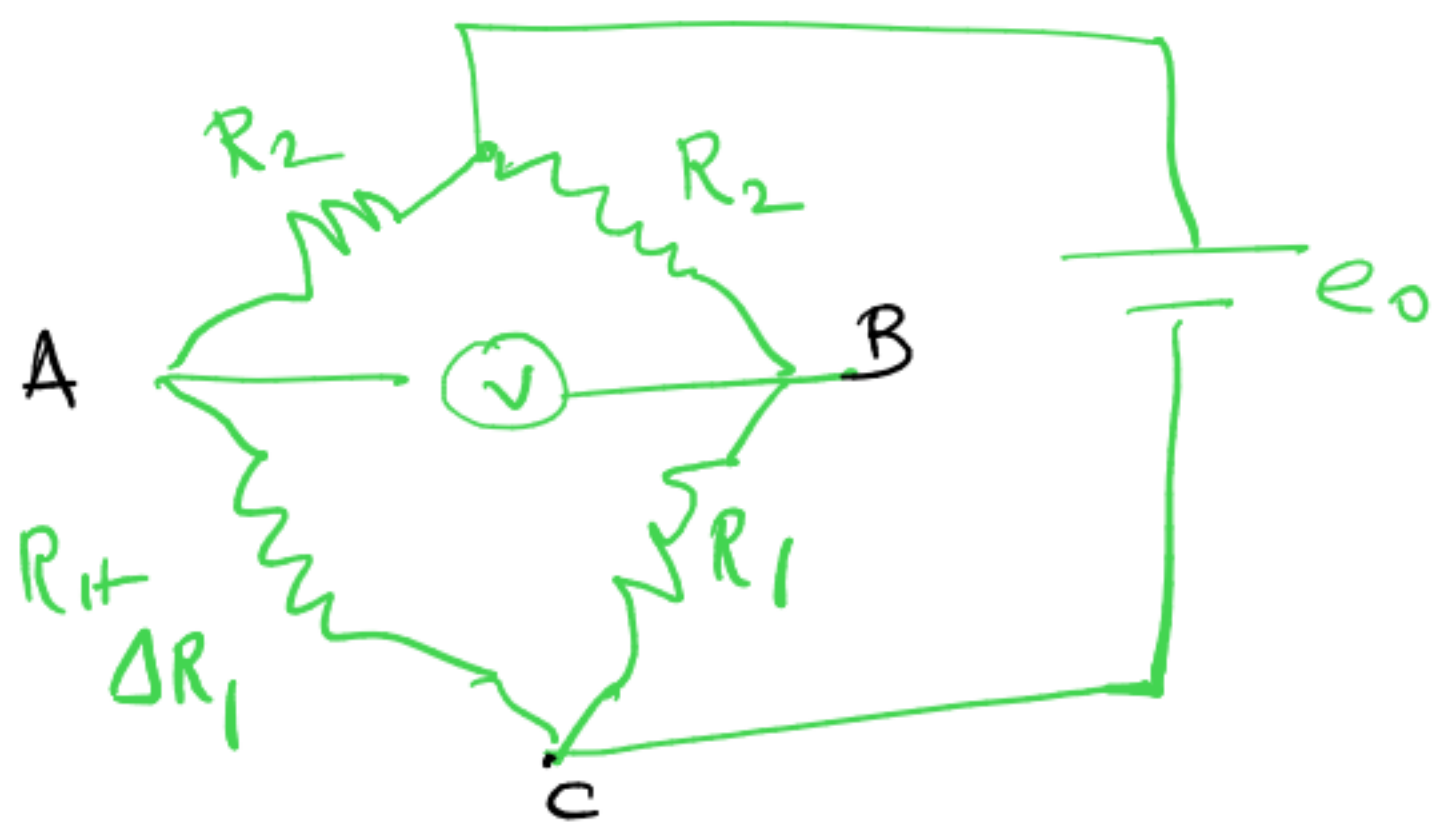
Wheat stone bridge:



When $\Delta R_1 = 0$, $\Delta e = 0$ (null measurement), \odot will read



Same

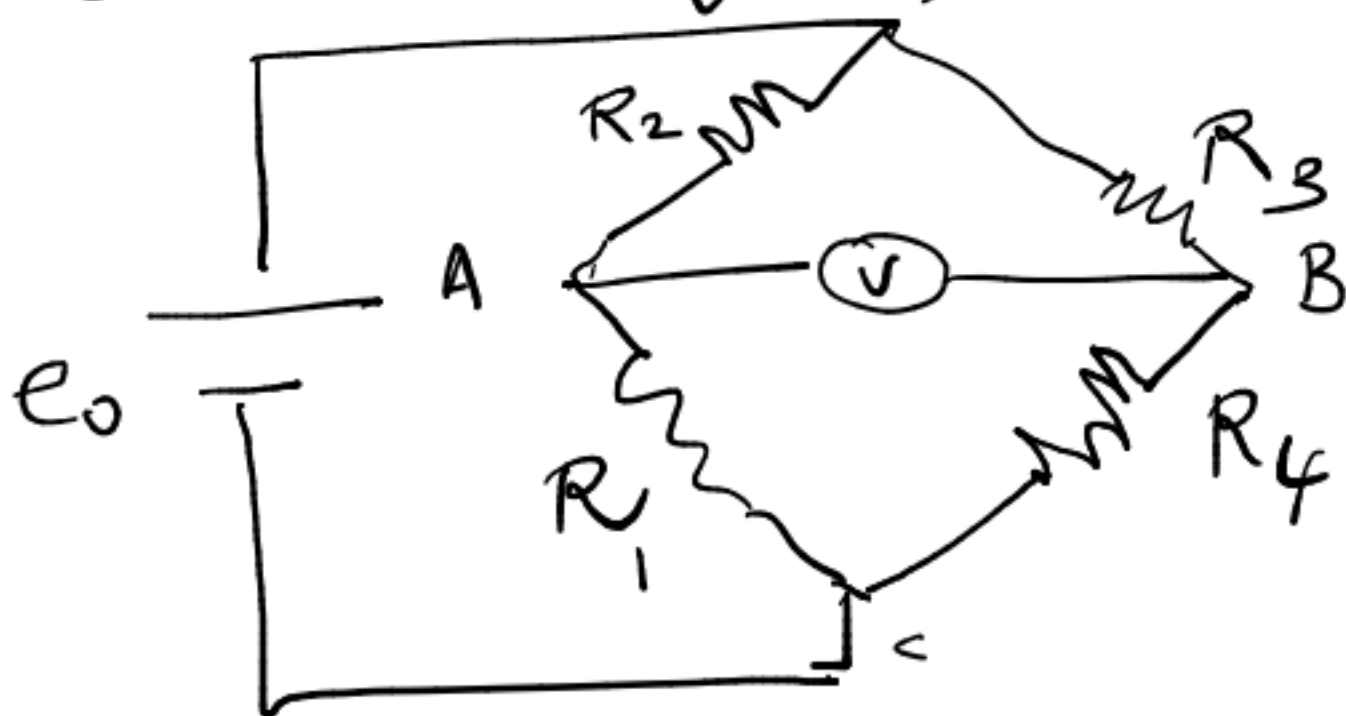


$$V_{AC} = \frac{R_1 + \Delta R_1}{R_1 + \Delta R_1 + R_2} \dots \text{voltage divider formula}$$

$$V_{BC} = \frac{R_1}{R_2 + R_1}$$

When $\Delta R_1 = 0$ (no strain) $V_A = V_B \Rightarrow$ \textcircled{V} will read zero.

A balanced Wheatstone bridge is one where $\odot V$ leads zero @ zero strain.



In a balanced W. B.

$$\frac{R_1}{R_1 + R_2} = \frac{R_4}{R_3 + R_4} \quad \left\| \begin{array}{l} \text{Voltage divider} \\ \text{from A} \\ \text{to C} \end{array} \right.$$

Or:

$$\frac{R_2}{R_1 + R_2} = \frac{R_3}{R_3 + R_4} \quad \left\| \begin{array}{l} \text{V.D} \\ \text{formula} \\ \text{from A to D.} \end{array} \right.$$

Multiply :

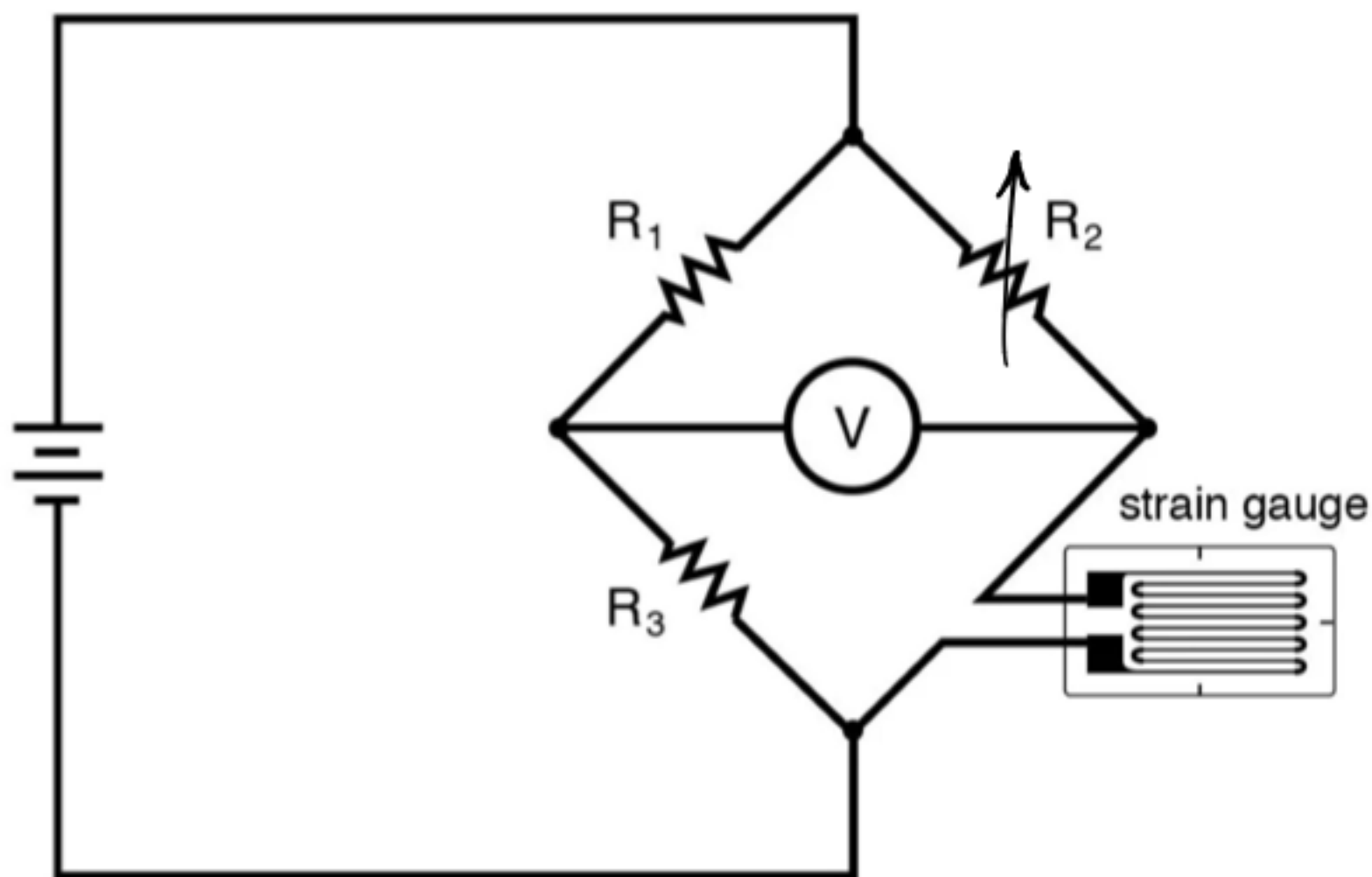
$$\frac{R_1 R_2}{(R_1 + R_2)^2} = \frac{R_3 R_4}{(R_3 + R_4)^2} \quad \odot$$

W.B can be used in one of 3 ways for strain measurement.

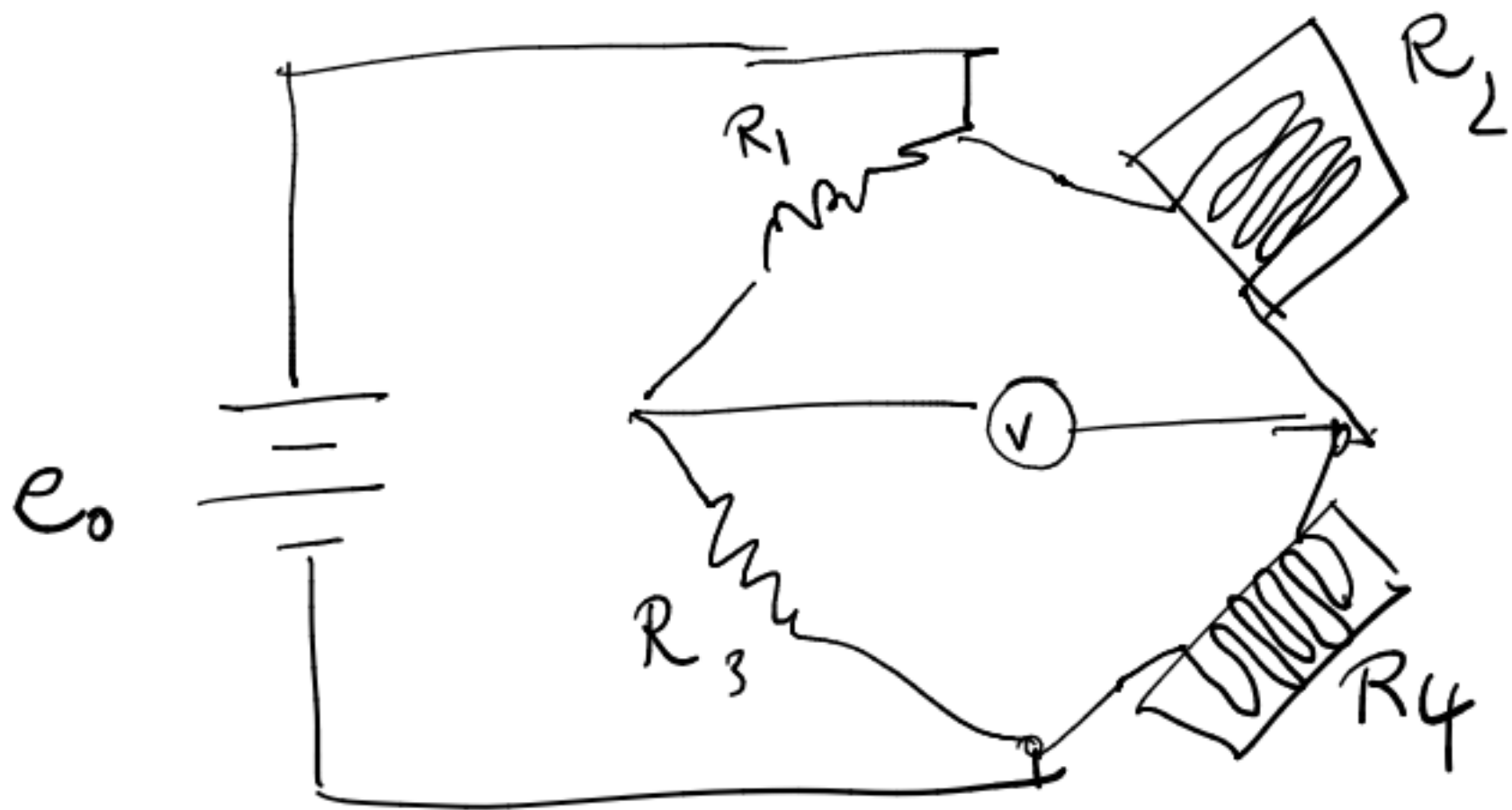
- Quarter bridge — 1 strain gauge.
- Half bridge — 2 strain gauges.
- Full bridge — 4 strain gauges.

Quarter bridge

Quarter-bridge strain gauge circuit

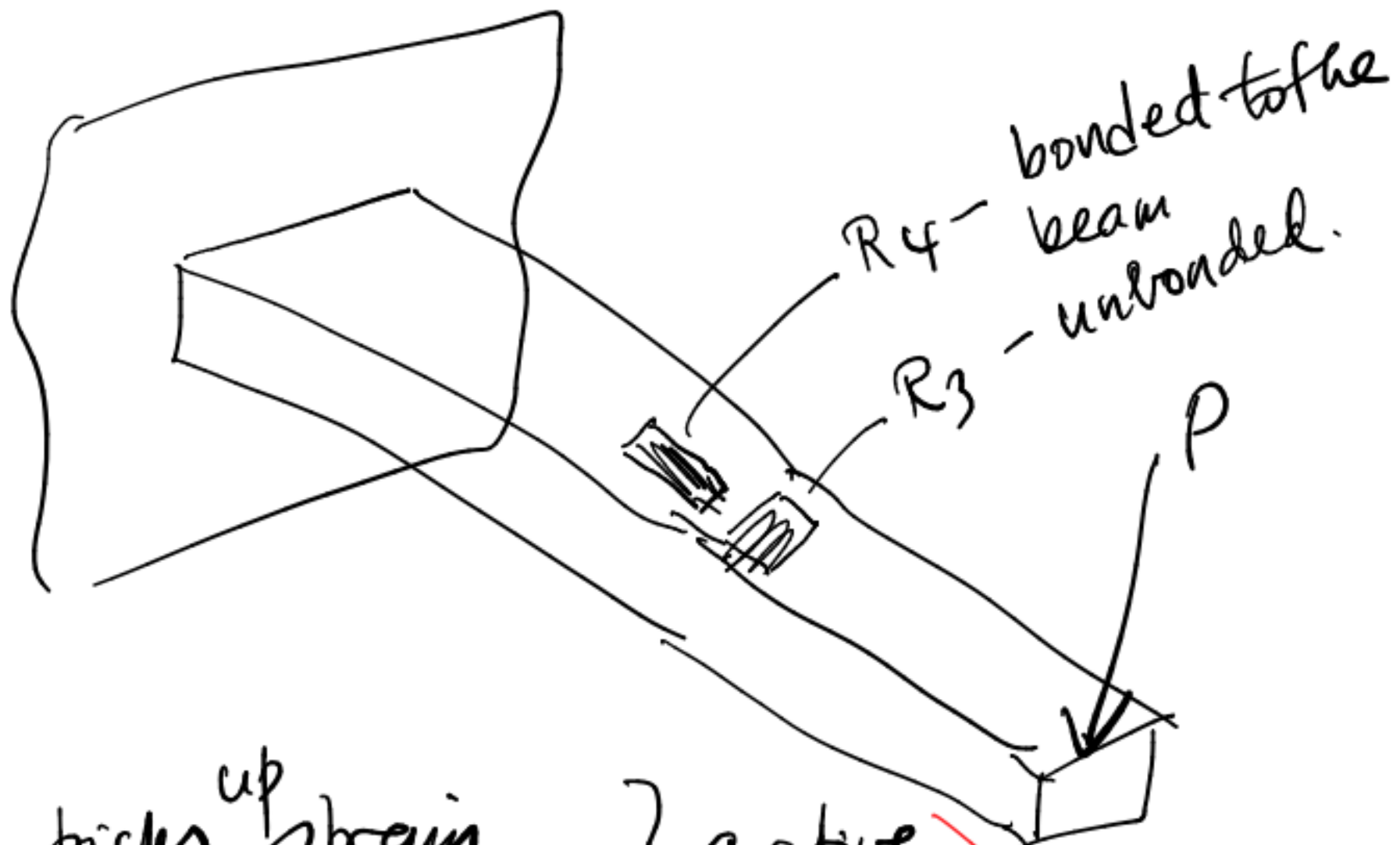


$R_4 + \Delta R_4$



R_2, R_4 are strain gauges.
 R_1, R_3 are regular resistors.

If R_2, R_4 strain gauges are identical, R_1, R_3 should be selected equal. for bridge balance.



R_4 - picks up strain from the beam

active gauge

R_2 - does not pick up strain from the beam

passive gauge

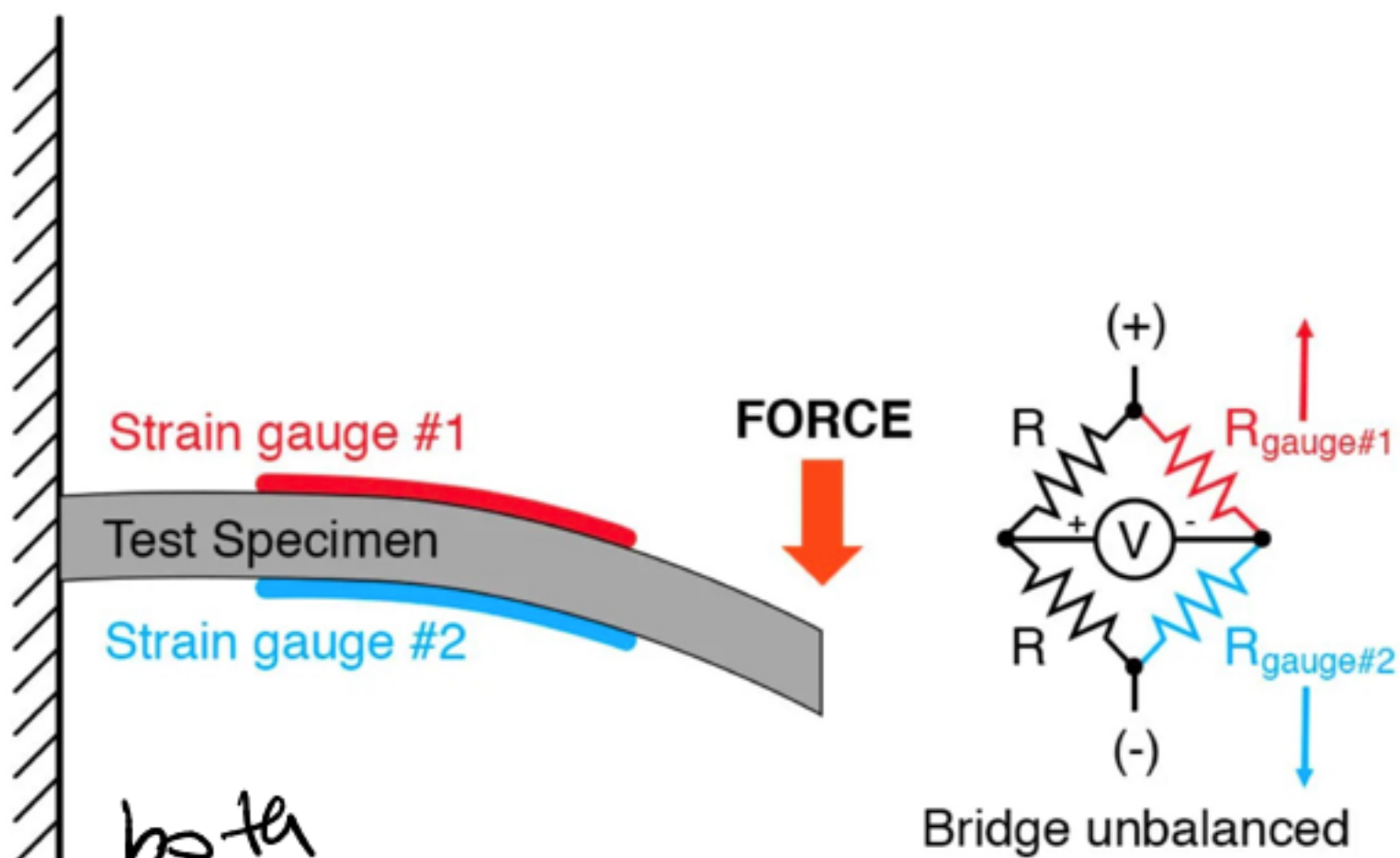
equally affected by temperature.

⇒ Any change in R_2, R_4 due to temperature variations will be equal

⇒ Bridge remains balanced under temperature changes.

The half bridge configuration auto-corrects for temperature even when the strain gauges are not auto-correcting.

Another $\frac{1}{2}$ bridge configuration:

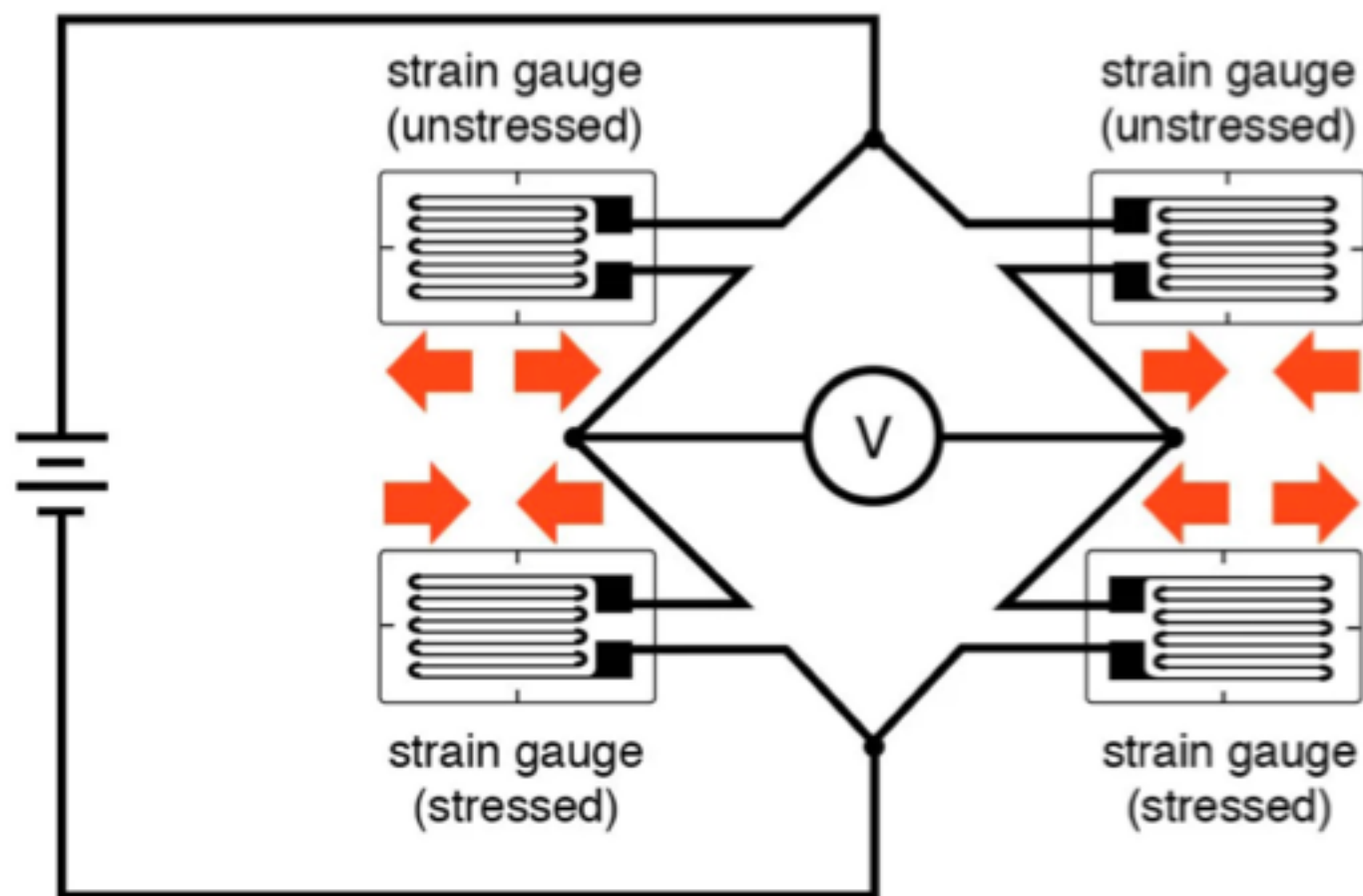


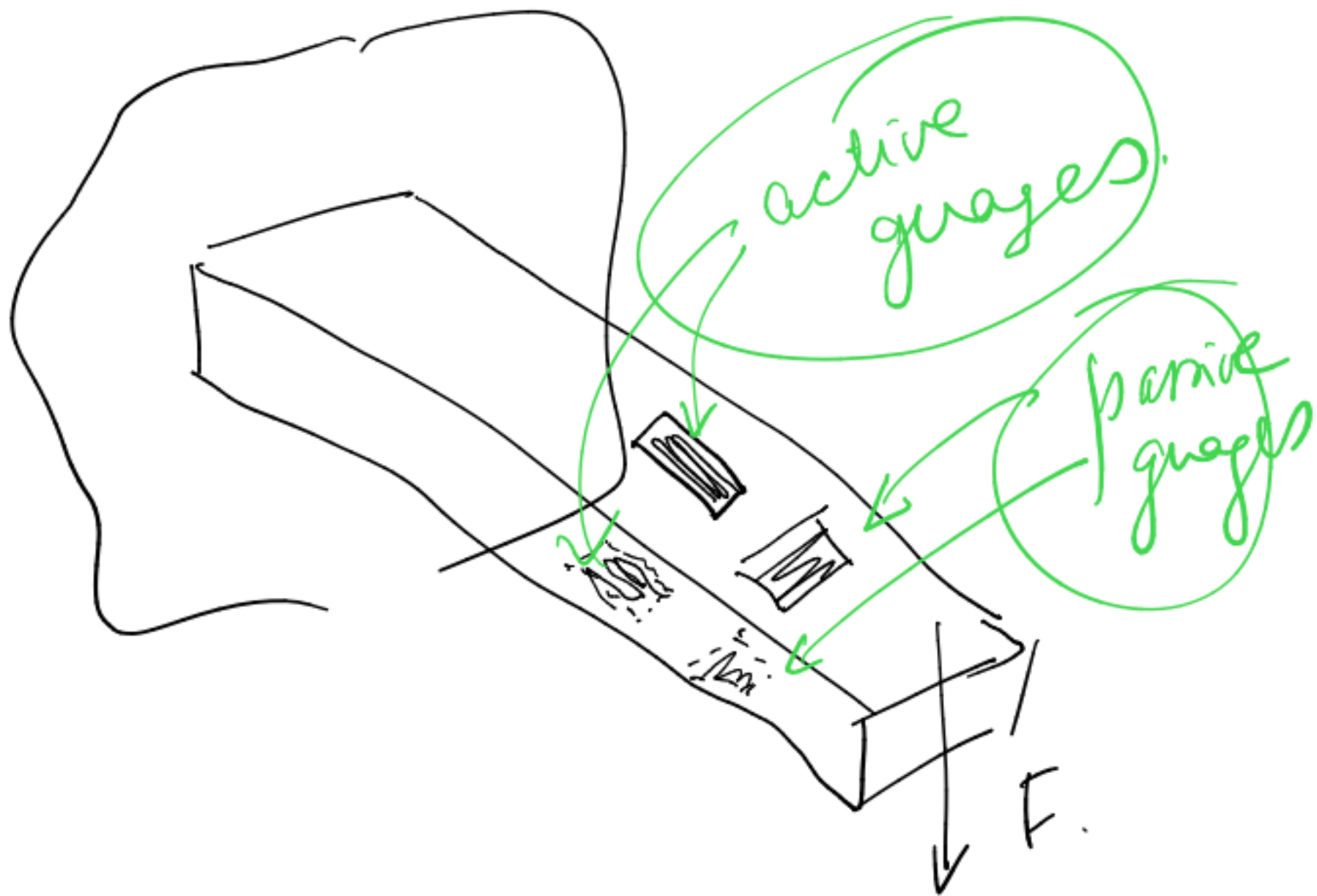
both strain gauges are bonded — they are both active.

We will derive the relation between
① V reading & ΔR_1 , ΔR_2
later.

Full-bridge Configuration:

Full-bridge strain gauge circuit





Next time:

Derive a relation between

$\odot V$ meter reading &

changes in the

strain gauge resistances.
